

Interplay between Optimal Control and Reinforcement Learning for Agile Locomotion and Dexterous Manipulation in Robotics

F. Schramm^{1,2,3} N. Perrin-Gilbert³ J. Carpentier^{1,2}

¹Inria Paris, France ²Département d'informatique de l'ENS, PSL Research University, France ³Sorbonne Université, France

Context and scientific objectives

The capability of modern robots to achieve dexterous manipulation and agile locomotion remains limited.

Goal: Learn new skills **efficiently** and develop **robust and versatile** controller for robotics.

Intuition: Humans solve complex tasks **without thinking** about the movement of each of their muscles separately.

- exploits **motor synergies** to control several degrees of freedom simultaneously like central-nervous system
- serial and parallel **composition** of skills in a **hierarchic** fashion

Optimal control (OC): impressive results (acrobatic motions by Boston Dynamics [1]), but online re-planning, adaptability and robustness to uncertainties or external perturbations remain very challenging.

Reinforcement learning (RL): flexible and robust against uncertainties, discover complex and rich solutions in the face of contact interactions [2, 3], but methods remain data-intensive.

Should we learn or optimize? Leverage the advantages of both worlds:

- ▶ founded on the same mathematical principles (Bellman and Hamilton-Jacobi-Bellman equations) [4]
- ▶ connect RL policies at low frequency for high-level decisions to optimal controllers operating at higher frequency for both precise and local adjustment in face of uncertainties
- ▶ learn from limited data on a **physical robot** and apply policy efficiently to complex robotic tasks

This thesis is an interdisciplinary project with three main scientific axes: **control**, **perception**, and **experimentation** on simulated and real physical robots.

Optimization in robotics

.. is used for optimal design, simulation, inverse kinematics and dynamics, estimation, trajectory optimization.

Specifically : solve quadratic programs (QPs), under **robustness**, **accuracy** and **speed** requirements

$$\min_{x \in \mathbb{R}^n} \left\{ q(x) := \frac{1}{2} x^T H x + g^T x \right. \quad (1)$$

$$\left. \begin{cases} Ax = b \\ Cx - u \leq 0 \end{cases} \right.$$

$H \in S_+(\mathbb{R}^d)$ (i.e., symmetric positive semi-definite), $A \in \mathbb{R}^{n_e \times d}$, $C \in \mathbb{R}^{n_i \times d}$

Contribution

- ▶ Open-source software **Proxsuite**
- ▶ **ProxQP** algorithm [5] with state-of-the-art performances and working guarantees
- ▶ Solver with state-of-the-art numerical back-end for linear algebra

QP Applications

- ▶ Kalman filtering
- ▶ Legged locomotion
- ▶ Friction-less contact modelling
- ▶ Constrained forward-dynamics

First-order trajectory optimization

Goal: fast trajectory optimization for systems with **non-smooth dynamics**.

- ▶ Build **differentiable simulator** based on pinocchio [6]
- ▶ Use randomized smoothing [7] with automatic noise scheduling
- ▶ Compare against state-of-the-art RL algorithms using xpag

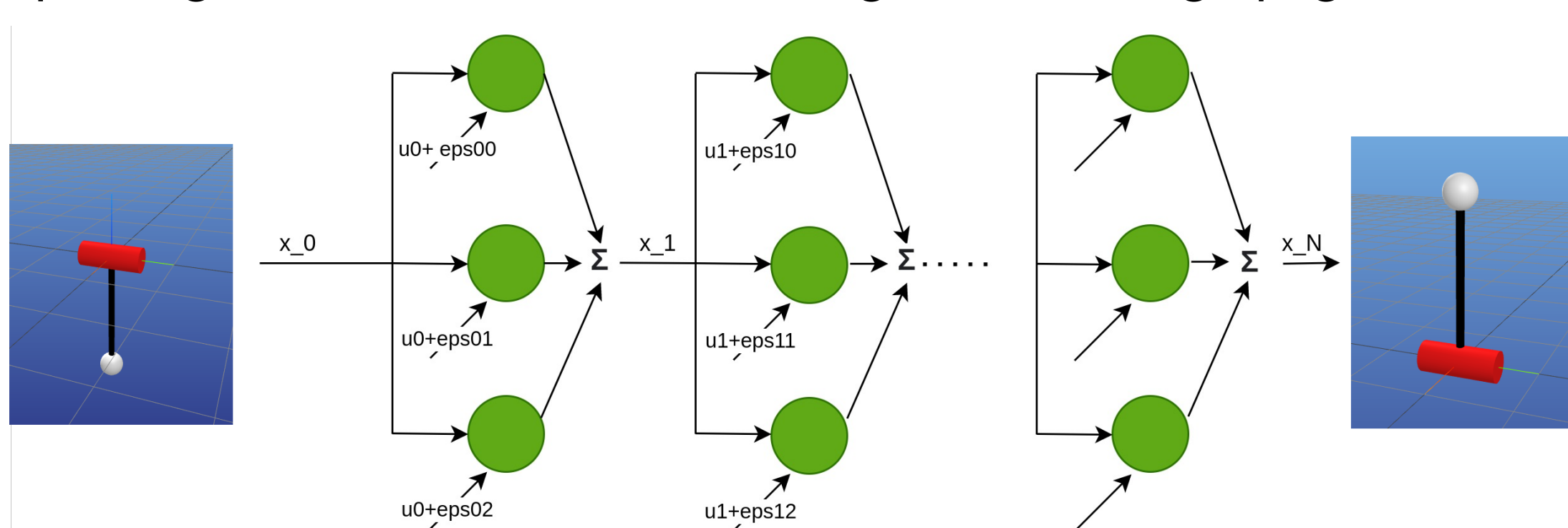


Figure: Randomized smoothing applied to cart-pole system.

Advanced robotic platforms

- ▶ Experimental validation in simulation → sim-to-real gap
- ▶ Conduct experiments on state-of-the-art robotic platforms for both locomotion and manipulation
- ▶ Lay a new computational framework for robot control on **real hardware**

AI4IDF: Purchase of two Shadow Dexterous Humanoid Robot Hands → fine-grained manipulation tasks.



TIRREX (Technological Infrastructure for Robotics Research of Excellence): Acquisition of the humanoid robot Digit → navigate complex environments in dynamic fashion.

Open-source software

Development of open-source software enabling the learning and deployment of complex control policies on real robotic platforms. Software packages are **BSD-licensed** and easily installable on all major OS.

Efficient and versatile rigid body dynamics algorithms

Pinocchio is an open-source and highly efficient framework for **simulation**, **planning** and **control** in robotics, bio-mechanics, civil engineering:

- ▶ efficient forward and inverse dynamics
- ▶ analytical derivatives of main algorithms
- ▶ automatic differentiation (CasADi, CppAD, ...) and code generation

THE ADVANCED PROXIMAL OPTIMIZATION TOOLBOX

- ▶ fast: C++ implementation with custom Cholesky solver
- ▶ scalable: various backends for dense, sparse and matrix-free optimization
- ▶ easy-to-use: clear API, Python and Julia bindings

ProxSuite is a collection of numerically robust, precise and efficient solvers rooted in revisited primal-dual proximal algorithms. The first targeted application is Robotics, but ProxSuite can be used in other contexts without limits.

- ▶ fast: RL algorithms written in JAX using XLA to speed up differentiation calculations
- ▶ robotics-oriented: customized for **goal-conditioned RL**, particularly useful for robotics

xpag is a modular and efficient reinforcement learning (RL) library.

References

1. Kuindersma, S. *Recent Progress on Atlas, the World's Most Dynamic Humanoid Robot*. <https://www.youtube.com/watch?v=EGABAx52GK19>. 2020.
2. Li, Z. et al. *Reinforcement learning for robust parameterized locomotion control of bipedal robots*. in *2021 IEEE International Conference on Robotics and Automation (2021)*.
3. Hwangbo, J. et al. *Learning agile and dynamic motor skills for legged robots*. *Science Robotics* (2019).
4. Bertsekas, D. *Reinforcement learning and optimal control*. (Athena Scientific, 2019).
5. Bambade, A., El-Kazdadi, S., Taylor, A. & Carpentier, J. *PROX-QP: Yet another Quadratic Programming Solver for Robotics and beyond*. in *RSS 2022 - Robotics: Science and Systems (New York, United States, June 2022)*. <https://hal.inria.fr/hal-03683733>.
6. Carpentier, J. & Mansard, N. *Analytical Derivatives of Rigid Body Dynamics Algorithms*. in *Robotics: Science and Systems (RSS 2018) (Pittsburgh, United States, June 2018)*. <https://hal.laas.fr/hal-01790971>.
7. Lidec, Q. L., Montaut, L., Schmid, C., Laptev, I. & Carpentier, J. *Leveraging Randomized Smoothing for Optimal Control of Nonsmooth Dynamical Systems*. 2022.